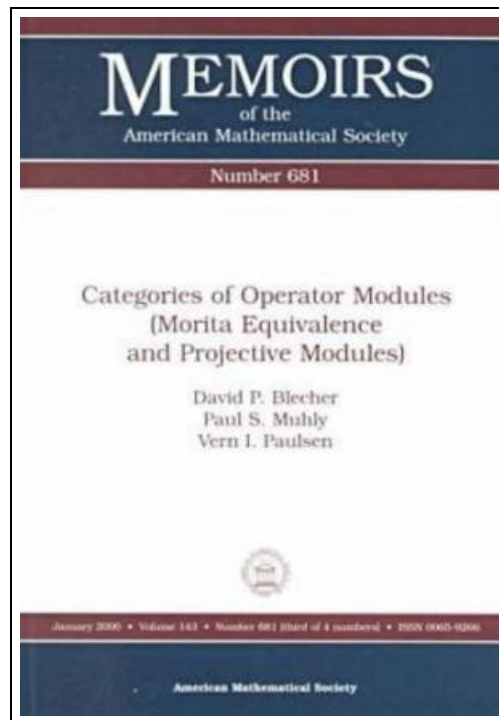


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It is one of my personal favorite books. It is written in easy terms and never hard to understand. It has been designed in an exceedingly easy way and it is only after I finished reading this publication by which in fact changed me, change the way I think.
(Lucinda Stiedemann)

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American Mathematical Society, United States, 1999. Paperback. Condition: New. Language: English . Brand New Book. We employ recent advances in the theory of operator spaces, also known as quantized functional analysis, to provide a context in which one can compare categories of modules over operator algebras that are not necessarily self-adjoint. We focus our attention on the category of Hilbert modules over an operator algebra and on the category of operator modules over an operator algebra. The module operations are assumed to be completely bounded - usually, completely contractive. We develop the notion of a Morita context between two operator algebras A and B . This is a system $(A, B, \{X, Y, (\cdot, \cdot), [\cdot, \cdot]$ consisting of the algebras, two bimodules X and Y and pairings (\cdot, \cdot) and $[\cdot, \cdot]$ that induce (complete) isomorphisms between the (balanced) Haagerup tensor products, $X \otimes Y$ and $Y \otimes X$, and the algebras, A and B , respectively. Thus, formally, a Morita context is the same as that which appears in pure ring theory. The subtleties of the theory lie in the interplay between the pure algebra and the operator space geometry. Our analysis leads to viable notions of projective operator modules and dual operator modules. We show that two C^* -algebras are Morita equivalent in our sense if and only if they are C^* -algebraically strong Morita equivalent, and moreover the equivalence bimodules are the same. The distinctive features of the non-self-adjoint theory are illuminated through a number of examples drawn from complex analysis and the theory of incidence algebras over topological partial orders. Finally, an appendix provides links to the literature that developed since this Memoir was accepted for publication.



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